

MSc. Finance/CLEFIN 2014/2015 Edition

Advanced Tools for Risk Management and Asset Pricing

May 2015 Exam for Attending Students

Time Allowed: 60 minutes

Family Name (Surname)	First Name	Student Number (Matr.)

Please answer all questions by choosing the most appropriate alternative(s) and/or by writing your answers in the spaces provided. You need to carefully justify and show your work in the case of "open" questions. There is only one correct answer(s) for each of the multiple choice questions: each selected alternative that is correct will be awarded one point; wrong answers will be penalized with minus 0.5 point. Correct answers not selected and questions that have been left blank will receive zero points. Only answers explicitly reported in the appropriate box will be considered. No other answers or indications pointing to potential answers will be taken into consideration. In the case of "open" questions, the maximum number of points is indicated.

Question 1. Which of the following functions is NOT a copula function?
$\square (A) C(u_1, u_2) = u_1 u_2$
$\square (B) C(u_1, u_2) = min(u_1, u_2)$
\Box (C) $C(u_1, u_2) = max(u_1 + u_2, 0)$
(D) None of the above
Question 2. Which of the following statements about Rank Correlations is FALSE?
(A) To compute rank correlations one needs to know both the numerical values of the
variables and the ordering of the sample for each variable
(B) Rank correlations are invariant under strictly increasing transformations
(C) Rank correlations take value of -1 when the variables are countermonotonic and the
value 1 when the variables are comonotonic
(D) A population version of Kendall's tau can be simply expressed as:
$ \rho_{\tau}(X_1, X_2) = E(sign((X_1 - \widetilde{X}_1)(X_2 - \widetilde{X}_2))) $

Question 3. Which of the following statements about Copulas Estimation and Calibration is
FALSE?
(A) A Gaussian copula is asymptotically independent in both tails
☐ (B) A Method-of-Moment approach involves calibration of copula using an empirical
estimate for some rank correlation measures
(C) Both the Gumbel and Clayton copulas display upper tail dependence
\square (D) Measures of extremal dependence between a pair of random variablesa X d X_2
depend only on the copula of X_1 and X_2

Question 4. Consider a sample of n observations from a vector (X_1, X_2) of continuous random variables.

- 1. Define sample versions of Kendall's Tau and Spearman's Rho
- 2. Let's assume that we observe the following realizations of X_1 and X_2 :

obs	X ₁	X ₂
1	1	2
2	1	3
3	1	4
4	1	5
5	2	3
6	2	4
7	2	5
8	3	4
9	3	5
10	4	5

Calculate the value of Kendall's Tau and Spearman's Rho.

Question 5. Assume a CDS quoted spread is 300 basis points and the recovery is estimated to be 40%. Under the assumptions that i) the premium leg of the CDS pays continuously and ii) the hazard rate is constant, what is the value of the hazard rate?
☐ (A) 5% ☐ (B) 7.5% ☐ (C) 500 ☐ (D) 750
Question 6. The Gaussian Copula Approach allows to compute the joint probability of default of n names. Such probability entails i) the calculation of a multi-dimensional integral and ii) the estimation of the correlation matrix among names. Given that dim_I = dimension of integral and dim_ρ = number of free correlation parameters (entries of the correlation matrix), what are the values of these two parameters under the Single-Factor Gaussian Copula Approach?
Question 7. Which of the following statements about implied correlations is true?
 ☐ (A) Compound correlations are inconsistent at the level of single tranche ☐ (B) Compound correlation for a given tranche is always unique ☐ (C) Base correlation can yield negative expected tranche losses ☐ (D)Base correlation depends on pairs of attachment points
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Question 8. Whis false?	nich of the follo	wing statem	ents abou	t credit mode	eling in a mu	ılti-factor set up
portfolio (B) Sector of (C) Name co	concentration concentration ri oncentration ris	isk affects on sk is a secon	aly the con	ditional varia ect		igors inside the
Question 9. Coplausible:	onsidering the	two termsh	eets belov	v, which of t	the followin	g statements is
	Bonus (Cap A		Bonus	Cap B	
	Underlying	Fiat		Underlying	Fiat	
	Maturity	3 Years		Maturity	3 Years	
	Barrier	70%		Barrier	70%	
	Barrier type	American		Barrier type	European	
= ` `	ap A has a Bont ap A has a Bont	•		-		•
Question 10. protection; the costs 7 Euro. If potential appreciation the FTSE M	Zero Coupon B Because you w ciation of the u	Sond costs E yould like yould rould like you	ur 95. An our produ hich strate	ATM call opt act to offer	tion on the land	FTSE MIB index cipation to any
offer 100% par [B] [B] I will be yield than the later 5 to make a [B] [C] I will be the FTSE MIB and the FTSE MIB at the FTSE	rticipation to are looking for an FTSE MIB so the a 100% protecte looking for an eso that the option posse looking for an	ny potential and underlying at the option ion possible underlying ion will be clible underlying and will be clion will be clion.	appreciation asset with asset with the aper to asset with asset with asset with	on of the und th lower vola neaper to try lower volati try and aim a	erlying tility and a and aim at a lity and divi at an option ility and divi	higher dividend in option cost of dend yield than cost of Eur 5 to idend yield than cost of Eur 5 to

Question 11. An outperformance certificate is:

$oxedsymbol{\square}$ (A) A certificate with capital protection and one-to-one participation to potential
appreciation of the underlying
$oxedsymbol{\square}$ (B) A certificate with capital protection and magnified participation to potential
appreciation of the underlying
\square (C) A certificate with conditional capital protection and one-to-one participation to
potential appreciation of the underlying
(D) None of the above

Question 12. Please read the description of the structured payoff below, draw the payoff graph (assume that strike is 100% of the value of the underlying at the issuance date) and explain which option strategy replicates such a payoff.

The certificate guarantees that at maturity 100% of the capital invested is paid back; in addition, if the value of the underlying at maturity is lower than 95% of the Strike, then the certificates pays

$$100\% \times (1 - \frac{S(t)}{Strike})$$

and if the value of the underlying at maturity is above 105% of the Strike then it pays

$$100\% \times (\frac{S(t)}{Strike} - 1)$$